## MATH 5613 INFORMATION MWF 9:30 AM, ES214A

Instructor: David Wright, MS 527, 744-5775, FAX: 744-8275, Email: wrightd@okstate.edu Online Classroom (D2L): oc.okstate.edu (Main location of class resources and grades)

- **Office hours: MWF 1:30–3:00PM at MS 527 and at other times by appointment.** Please feel free to drop by or contact me to see if I am available at any time.
- Text: Basic Algebra, by Anthony Knapp.
- **Course objectives:** To learn the theory of basic algebraic structures, meaning primarily groups, rings, modules, and fields.
- **Prerequisites:** A complete undergraduate mathematics background including at least two semester courses in abstract algebra.
- Syllabus: The following sections of the text should be covered:

Appendices	Basic Set Theory
Sections II.4–II.9	Vector Space Review
Sections IV.1–IV.11	Group Theory
Sections V.1–V.8	Rings and Modules
Sections VI.1–VI.9	Multilinear Algebra
Sections VII.1–VII.4	Advanced Group Theory

**EXAMINATIONS:** There will be *two* two-hour exams during term in the weeks of Sept. 21–25 and Nov. 2–6. These exams will be prepared in advance of these weeks and then made available in the main office MS 401. You will clear out a two-hour period during the week starting from 8AM to 2PM, then check the exam out from the office, work on it for two hours, and return it before closing. Your answers should be on your own paper. There should be no substantial contact with any other person or written material while you are working on these exams.

There will also be a final exam from 8AM to 9:50 AM, Wednesday, December 9.

- **Homework:** Sets of homework exercises will be assigned and collected during the term. Your work should be prepared in a method suitable for an advanced mathematics class
- **Grading:** Homework 30%, Midterm 1 20%, Midterm 2 20%, Final 30%. Students who score at least 90%, 80%, 70%, 60% of the total will receive at least a grade of A, B, C, D, respectively. Depending on the median scores, these cutoffs may be lowered. Some discretion of the instructor may be used in deciding borderline cases.

- **STANDARD OPERATING PROCEDURE:** All students must complete a minimum of six hours of work each week outside attending lectures. This work is to consist of reading in detail all sections of the book covered in class and performing all assigned homework problems and enough additional problems to make sure that you understand the material. It is very important that you contribute this six hours of work every week. All assigned written homework that is collected must be completed with absolutely no help from other people, with the exception of help received from myself during office hours. If you cannot solve a problem completely, give as much of a partial solution as you can. Try to write down the exact point in the solution that you cannot understand. Try to record all theorems and examples from the class or the text that are possibly relevant to the problem. It is far better to learn this process of self-analysis than to seek the collaboration of others. General vague discussions of the course material are permitted between class members. On all examinations and assignments, all steps necessary to prove that your solution is true must be given.
- Academic Honesty: It is a cornerstone of academic integrity that written work submitted under your own name should be prepared entirely by yourself. Informal discussion between students is permitted. You are also encouraged to seek help on the homework from myself during office hours. However, academic misconduct includes organized collaboration between students on homework assignments that involve, say, jointly writing solutions on the blackboard and then copying down the alleged solutions on each individual's paper. Also, examination of another student's written work before an assignment has been collected and graded is strictly forbidden.

Attendance Policy: Attendance of lectures is mandatory, but roll will not be taken every class.

## References

- [1] P. ALUFFI, *Algebra: chapter 0*, vol. 104 of Graduate Studies in Mathematics, American Mathematical Society, Providence, RI, 2009. OSU Library: 512 A471a.
- [2] E. ARTIN, *Geometric algebra*, Wiley Classics Library, John Wiley & Sons, Inc., New York, 1988. Reprint of the 1957 original, A Wiley-Interscience Publication.
- [3] E. ARTIN, *Galois theory*, Dover Publications, Inc., Mineola, NY, second ed., 1998. Edited and with a supplemental chapter by Arthur N. Milgram.
- [4] —, Algebra with Galois theory, vol. 15 of Courant Lecture Notes in Mathematics, Courant Institute of Mathematical Sciences, New York; American Mathematical Society, Providence, RI, 2007. Notes by Albert A. Blank, Reprint of the 1947 original [It Modern higher algebra. Galois theory, Courant Inst. Math. Sci., New York].
- [5] M. ARTIN, *Algebra*, Prentice Hall, Inc., Englewood Cliffs, NJ, 1991.
- [6] P. B. BHATTACHARYA, S. K. JAIN, AND S. R. NAGPAUL, *Basic abstract algebra*, Cambridge University Press, Cambridge, second ed., 1994. OSU Library: 512.02 B575b 1994.

- [7] N. BOURBAKI, Éléments de mathématique. Algèbre. Chapitre 9, Springer-Verlag, Berlin, 2007. Reprint of the 1959 original.
- [8] P. J. CAMERON, *Introduction to algebra*, Oxford University Press, Oxford, second ed., 2008. OSU Library: 512.02 C182i.
- [9] C. CARSTENSEN, B. FINE, AND G. ROSENBERGER, Abstract algebra: Applications to Galois theory, algebraic geometry and cryptography, vol. 11 of Sigma Series in Pure Mathematics, Heldermann Verlag, Lemgo; Walter de Gruyter GmbH & Co. KG, Berlin, 2011. OSU Library: 512.02 C321a.
- [10] P. M. COHN, Algebra. Vol. 1, John Wiley & Sons, Ltd., Chichester, second ed., 1982.
- [11] —, Algebra. Vol. 2, John Wiley & Sons, Ltd., Chichester, second ed., 1989.
- [12] —, Algebra. Vol. 3, John Wiley & Sons, Ltd., Chichester, second ed., 1991.
- [13] D. S. DUMMIT AND R. M. FOOTE, Abstract algebra, John Wiley & Sons, Inc., Hoboken, NJ, third ed., 2004. OSU Library: 512.02 D889a 2004.
- [14] C. FAITH, *Algebra. II*, Springer-Verlag, Berlin-New York, 1976. Ring theory, Grundlehren der Mathematischen Wissenschaften, No. 191.
- [15] —, Algebra. I. Rings, modules, and categories, vol. 190 of Grundlehren der Mathematischen Wissenschaften [Fundamental Principles of Mathematical Sciences], Springer-Verlag, Berlin-New York, 1981. Corrected reprint.
- [16] —, Rings and things and a fine array of twentieth century associative algebra, vol. 65 of Mathematical Surveys and Monographs, American Mathematical Society, Providence, RI, 1999.
- [17] B. FINE AND G. ROSENBERGER, *The fundamental theorem of algebra*, Undergraduate Texts in Mathematics, Springer-Verlag, New York, 1997. OSU Library: 512.942 F495t.
- [18] R. GODEMENT, Algebra, Translated from the French, Hermann, Paris; Houghton Mifflin Co., Boston, Mass., 1968. OSU Library: 512 G581cE.
- [19] P. A. GRILLET, Abstract algebra, vol. 242 of Graduate Texts in Mathematics, Springer, New York, second ed., 2007. OSU Library: 510.82 G733 v. 242.
- [20] I. N. HERSTEIN, *Abstract algebra*, Prentice Hall, Inc., Upper Saddle River, NJ, third ed., 1996. With a preface by Barbara Cortzen and David J. Winter.
- [21] T. W. HUNGERFORD, Algebra, vol. 73 of Graduate Texts in Mathematics, Springer-Verlag, New York-Berlin, 1980. OSU Library: 510.82 G733 v. 73.
- [22] I. M. ISAACS, *Algebra: a graduate course*, vol. 100 of Graduate Studies in Mathematics, American Mathematical Society, Providence, RI, 2009. OSU Library: 512.02 I86a.
- [23] N. JACOBSON, Basic algebra. I, W. H. Freeman and Company, New York, second ed., 1985.

- [24] —, Basic algebra. II, W. H. Freeman and Company, New York, second ed., 1989.
- [25] A. W. KNAPP, Basic algebra, Cornerstones, Birkhäuser Boston, Inc., Boston, MA, 2006. OSU Library: 512.9 K67b.
- [26] —, Advanced algebra, Cornerstones, Birkhäuser Boston, Inc., Boston, MA, 2007. OSU Library: 512.9 K67a.
- [27] S. LANG, *Algebra*, vol. 211 of Graduate Texts in Mathematics, Springer-Verlag, New York, third ed., 2002. OSU Library: 512.8 L271a.
- [28] —, *Undergraduate Algebra*, Undergraduate Texts in Mathematics, Springer-Verlag, New York, third ed., 2005.
- [29] S. R. NAGPAUL AND S. K. JAIN, *Topics in applied abstract algebra*, Brooks/Cole Series in Advanced Mathematics, Thomson Brooks/Cole, Belmont, CA, 2005. OSU Library: 512.02 N152t.
- [30] D. G. NORTHCOTT, Multilinear algebra, Cambridge University Press, Cambridge, 2008.
- [31] J. J. ROTMAN, *Advanced modern algebra*, vol. 114 of Graduate Studies in Mathematics, American Mathematical Society, Providence, RI, 2010. OSU Library: 512 R848a.
- [32] K. SPINDLER, *Abstract algebra with applications. Vol. I: Vector spaces and groups*, Marcel Dekker, Inc., New York, 1994. OSU Library: 512.02 S757a v.1.
- [33] —, Abstract algebra with applications. Vol. II: Rings and fields, Marcel Dekker, Inc., New York, 1994. OSU Library: 512.02 S757a v.2.
- [34] R. P. STANLEY, *Combinatorics and commutative algebra*, vol. 41 of Progress in Mathematics, Birkhäuser Boston, Inc., Boston, MA, second ed., 1996. OSU Library: 512.24 S788c.
- [35] S. K. STEIN AND S. SZABÓ, Algebra and tiling: Homomorphisms in the service of geometry, vol. 25 of Carus Mathematical Monographs, Mathematical Association of America, Washington, DC, 1994. OSU Library: 510.82 C329 no. 25.
- [36] B. L. VAN DER WAERDEN, *A history of algebra*, Springer-Verlag, Berlin, 1985. From al-Khwārizmī to Emmy Noether.
- [37] —, *Algebra. Vol. I*, Springer-Verlag, New York, 1991. Based in part on lectures by E. Artin and E. Noether, Translated from the seventh German edition by Fred Blum and John R. Schulenberger.
- [38] —, *Algebra. Vol. II*, Springer-Verlag, New York, 1991. Based in part on lectures by E. Artin and E. Noether, Translated from the fifth German edition by John R. Schulenberger.
- [39] E. B. VINBERG, A course in algebra, vol. 56 of Graduate Studies in Mathematics, American Mathematical Society, Providence, RI, 2003. Translated from the 2001 Russian original by Alexander Retakh.